# TO THE MEMORY OF IRINA DMITRIEVNA SUPRUNENKO

## V. I. Yanchevskii, A. S. Kondrat'ev, T. S. Busel, A. A. Osinovskaya

The paper presents the research of Irina Dmitrievna Suprunenko, a prominent specialist in the representation theory of algebraic groups and finite groups of Lie type.

Keywords: Irina Dmitrievna Suprunenko, algebraic group, finite group of Lie type, representation.

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*Vyacheslav Ivanovich Yanchevskiĭ,* a Member of the National Academy of Sciences of Belarus, Dr. Phys.-Math. Sci., Prof., Institute of Mathematics of the National Academy of Sciences of Belarus, Minsk, 220072 Belarus, e-mail: yanch@im.bas-net.by .

*Anatolii Semenovich Kondrat'ev,* Dr. Phys.-Math. Sci., Krasovskii Institute of Mathematics and Mechanics of the Ural Branch of the Russian Academy of Sciences, Yekaterinburg, 620108 Russia, e-mail: A.S.Kondratiev@imm.uran.ru

*Tatsiana Sergeevna Busel,* Ph. D., Institute of Mathematics of the National Academy of Sciences of Belarus, Minsk, 220072 Belarus, e-mail: tbusel@im.bas-net.by .

*Anna Aleksandrovna Osinovskaya,* Ph. D., Institute of Mathematics of the National Academy of Sciences of Belarus, Minsk, 220072 Belarus, e-mail: anna@im.bas-net.by .