

**CODIMENSIONS OF VARIETIES OF POISSON ALGEBRAS
WITH LIE NILPOTENT COMMUTANTS**

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We study varieties of Poisson algebras defined by the identities $\{x_1, x_2\} \cdot \{x_3, x_4\} = 0$ and $\{\{x_1, x_2\}, \dots, \{x_{2s+1}, x_{2s+2}\}\} = 0$, $s \geq 1$. For each of the varieties we find a carrier algebra and build a basis of the n th proper polylinear space. We derive exact formulas for exponential generating functions for sequences of codimensions and proper codimensions as well as exact formulas for codimensions and proper codimensions.

Keywords: Poisson algebra, variety of algebras, growth of a variety.

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